publication a few weeks later.2

In the end, both teams arrived at the same result. And, incidentally, both concluded that dimming by dust turned out to be negligible. The High-Z team attributed its greater early confidence with fewer high-z events largely to a scheme developed by Riess and the Chilean group for determining each event's dust dimming from photometric measurements through several different color filters. Furthermore, the team had twice as many low-z events as the competition, and its 16 high-z events exhibited very little scatter on the team's Hubble plot; four of them had been particularly well measured by *Hubble Space Telescope* follow-ups.

The dark-energy problem

Much has happened since 1998 to confirm and refine the new cosmic vista unveiled by the two teams. A recent plot of confidence contours in the $\Omega_{\rm M}\Omega_{\Lambda}$ plane (figure 2b) shows how complementary data from the cosmic microwave background and galaxy surveys have converged with the shrinking supernova contours onto a small overlap region that does indeed seem to satisfy the inflationary requirement of a flat cosmos. (See the article by Daniel Eisenstein and Charles Bennett in PHYSICS TODAY, April 2008, page 44.)

That convergence, near $\Omega_{\Lambda} = 3/4$, $\Omega_{\rm M}$ = 1/4, tells us that in the present epoch, Einstein's constant vacuum energy density—or some subtly variable dark energy that mimics itaccounts for about three times as much of the cosmic mass-energy budget as does all the matter, visible and invisible.

The dark-energy problem has come front and center. Even if the dark energy is simply manifesting the cosmological constant, the small yet nonzero value of ρ_{Λ} is profoundly puzzling. Quantumfluctuation arguments expect it to be a hundred orders of magnitude bigger or precisely zero in obedience to some overarching principle that would dictate perfect cancellation of all the fluctuation contributions. And then there's the uncomfortable coincidence that we just now happen to be in the epoch when ρ_{Λ} and $\rho_{\rm M}$ are comparable. Ten billion years ago, $\rho_{\rm M}$ was dominant in a much more crowded cosmos, and ten billion years from now it will have dwindled to insignificance.

"Still, if you shave with Occam's razor," says Riess, "you must, for the moment, stick with the cosmological constant." Searches for departures from the general-relativistic equation of state, $P_{\Lambda}/\rho_{\Lambda} = -1$, have found none, nor is there any evidence yet of a spatial or temporal variation of the repulsive pressure that might indicate some sort of dynamical dark energy (see PHYSICS TODAY, June 2004, page 19).

The continuing quest for the true character of the dark energy will require space-based detectors that not only can search for very distant supernovae but can also survey the distribution and dark-matter lensing of very distant galaxies. "There's an overwhelming desire in the community to launch such a mission," says Perlmutter. "Since 1998 we've learned a tremendous amount about how to make more detailed measurements." In that spirit, the National Research Council's 2010 Astronomy and Astrophysics Decadal Survey gave highest priority to WFIRST (Wide-Field Infrared Survey Telescope), a proposed multimode dark-energy satellite.

NASA had hoped to launch WFIRST in 2018, but cost overruns for the James Webb Space Telescope have pushed WFIRST back at least to 2022. In the meantime, the European Space Agency's Euclid mission, with only limited supernova capabilities, is scheduled for launch in 2019.

Bertram Schwarzschild

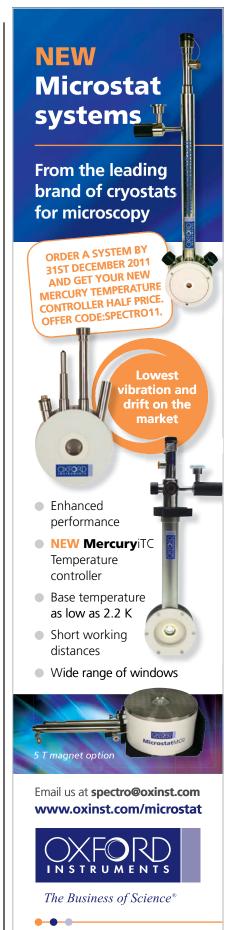
References

- 1. S. Perlmutter et al., Astrophys. J. 517, 565
- 2. A. Riess et al., Astronom. J. 116, 1009 (1998).

Nobel Prize in Chemistry honors the discovery of quasicrystals

The realization that ordered solids needn't be translationally periodic sent experts scrambling to rewrite the textbooks on condensed matter.

he annotation that Israeli scientist Dan Shechtman scribbled into his lab notebook on 8 April 1982 was as astounding as it was brief: "10fold???" At the time it was held that only periodic atomic lattices possessed the requisite order to diffract a beam of electrons into a pattern of points, or Bragg peaks. And geometry plainly demands that such lattices have two-, three-,



four-, or sixfold rotational symmetry.

Shechtman's aluminum–manganese alloy, however, produced the crystallographically forbidden, tenfold-symmetric diffraction pattern¹ shown in figure 1. The material was soon recognized as a quasicrystal, the first in a fundamentally new class of ordered solids. (See PHYSICS TODAY, February 1985, page 17.) For its discovery, Shechtman was awarded the 2011 Nobel Prize in Chemistry.

"It was not twinning"

At the time of the milestone discovery, Shechtman was on sabbatical from his professorship at the Technion–Israel Institute of Technology in Haifa and working at the National Bureau of Standards (now NIST) in Gaithersburg, Maryland. A skilled electron microscopist, he had been invited by the bureau's John Cahn to help study rapidly



cooled alloys of aluminum and transition metals.

Months into his stay, the visiting scientist was making transmission electron microscope images of Al–Mn ribbons, which he had prepared by quenching alloy melts on a cool, spinning disk. He happened upon one sample so strongly diffracting that it appeared dark in bright-field images. That sample, a mixture containing six Al atoms for every Mn atom, produced the tenfold-symmetric diffraction pattern.

"I remember counting the diffraction peaks clockwise, one by one up to 10, and thinking that it couldn't be," says Shechtman. "So I counted the other way, counterclockwise. Still 10!"

In all, the sample displayed an assortment of symmetries—twofold,

threefold, and tenfold—suggestive of an icosahedron, a regular polyhedron having 20 equilateral triangular faces. Icosahedra are actually fivefold symmetric about axes that intersect their vertices, but a diffraction pattern taken along any one of those axes would show tenfold symmetry. (Shechtman is seen holding an icosahedron at left.)

Icosahedra, however, cannot be packed to fill space. Therefore, as every crystallography text of the day would have attested, they do not form crystals. The obvious explanation was that what seemed to be icosahedral symmetry was merely an artifact of twinning; 5 or 10 ordinary crystalline grains, arranged like slices of a pie, can disguise themselves as one tenfold-symmetric grain in diffraction images.

To check for twins, Shechtman made electron microscope images showing which area of the Al₆Mn sample gave rise to which Bragg peaks. If the diffraction pattern was merely a superposition of patterns produced by twinned grains, each Bragg peak would emanate from a different area of the crystal. Shechtman found the contrary; every peak could be traced to one grain. Further, an electron beam focused onto an area just 20 nm across—too small to harbor multiple twins—reproduced the diffraction pattern in its entirety.

"By the end of that day, I knew that I had something special," recalls Shechtman. "I did not know what it was, but I knew what it was not. And it was not twinning."

A new order

Shechtman and Technion colleague Ilan Blech developed a model to explain the result. They hypothesized that Al atoms group around single Mn atoms to form icosahedral shells and that those shells coalign because they are forced to share edges. Although the resulting solid would technically be a glass, not a crystal, it might have enough orientational order to produce diffraction spots resembling Bragg peaks.

The model seemed plausible enough. Simulations had shown that supercooled liquids could host localized icosahedral clusters comprising several hundred atoms. One could imagine that if chilled rapidly enough, a network of icosahedra might emerge and then freeze into place.

Unbeknownst to Shechtman and Blech, the development of another, more ambitious theory had already been under way for years. It sprang from the study of tilings, arrangements of two-dimensional shapes that fill a plane and leave no gaps.

Conventional tilings, like conventional crystals, can be reduced to a single motif that repeats ad infinitum. A grid of uniform squares is an example. But in the 1970s, Oxford University mathematician Roger Penrose began concocting rather unconventional tilings. He showed that with just two shapes—two kinds of rhombi, for example—and appropriate matching rules, one could assemble a tiling that never repeats. Casual inspection of such a Penrose tiling reveals hints of local symmetry — five-pronged stars are a recurring motif in the rhombic tiling-but no regular pattern.

Later, British crystallographer Alan Mackay drew a link between Penrose tilings and condensed matter. In 1982, before Shechtman's work was published, Mackay imagined a 2D solid, with each atom centered on a vertex of a Penrose tiling. Duplicating the pattern on an optical mask, he used optical diffraction to show that his hypothetical solid would generate a tenfold-symmetric pattern of diffraction spots.²

Several theorists, including Mackay, began working independently to devise 3D analogues of Penrose tilings, made up of rhombohedra instead of rhombi. Peter Kramer and Reinhardt Neri at Tübingen University in Germany showed that such tilings could be interpreted as a projection of a hypercubic 6D lattice onto 3D space.

Extending 2D formulations proposed by recreational mathematician Robert Ammann, Paul Steinhardt and Dov Levine (University of Pennsylvania) showed that a 3D Penrose tiling has strict, if unconventional, order: The interval spacing of its underlying lattice is prescribed by the Fibonacci sequence. Moreover, they found that the Penrose tiling was just one in an extensive family of quasiperiodic arrangements that, if adopted by atoms, would generate crystallographically forbidden Braggpeak diffraction patterns.

Aha!

In 1984 Shechtman and Blech were still unaware of the developing theory of Penrose tiling. Meanwhile, their manuscript—a lengthy treatise on all of the various Al–Mn phases Shechtman had observed—had been rejected by the *Journal of Applied Physics* as unlikely to appeal to physicists. Cahn and French mathematician Denis Gratias helped the authors recast the work into a terse three-page manuscript devoted exclusively to the discovery of the icosahedral phase. The rewrite was quickly accepted by *Physical Review Letters*.

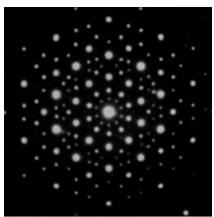


Figure 1. The electron diffraction pattern generated by Dan Shechtman's Al₆Mn quasicrystal along an axis of five-fold symmetry. (Adapted from ref. 1.)

By the time news of the icosahedral phase began to circulate, theorists familiar with Penrose tilings had already been awaiting its discovery. A prescient Mackay wrote in 1981 that Penrose tilings were "an example of a pattern that might well be encountered but might go unrecognized if unexpected."3 Steinhardt, too, was convinced that an icosahedral phase might exist. He says of first seeing Shechtman's preprint, "When I got to the page with the diffraction pattern, I nearly jumped out of my seat." The pattern was a nearperfect match to one that he and Levine had computed for a 3D Penrose tiling.

Shechtman and colleagues' paper detailing the discovery of the icosahedral phase was published in *Physical Review Letters* on 12 November 1984. Six weeks later, on Christmas Eve, Steinhardt and Levine's work on quasiperiodicity appeared in the same journal.⁴ The theorists dubbed the new form of matter quasiperiodic crystals, or quasicrystals for short.

Critical review

"There is no such thing as quasicrystals," Nobel laureate Linus Pauling often said of the putative icosahedral phase. "Just quasiscientists." In fact, most crystallographers shared his suspicion of quasicrystallinity. Conventional crystals fit an intuitive thermodynamic paradigm: There always exists some energy-minimizing microscopic arrangement of atoms, and repetition of the arrangement minimizes energy on macroscopic scales. That atoms would adopt long-range order by any other means seemed physically impractical.

To be fair, Shechtman's diffraction patterns left room for doubt. The crystals were too small to be analyzed by x-ray diffraction, the preferred and more precise technique. And formed as they were by rapid cooling, they housed imperfections that blurred the Bragg peaks.

It was possible, then, that what seemed to be a quasicrystal was really a locally oriented glass of the sort proposed by Shechtman and Blech. Or the diffraction patterns could have been created by a regular crystal with a large unit cell. Though the unit cell itself might be, say, cubic, the jumble of atoms inside each one might exhibit near-icosahedral symmetry. Pauling himself identified such an approximant, a crystal having a reasonably large unit cell comprising a thousand or so atoms.

A turning point was the 1987 discovery by An-Pang Tsai (Tohoku University, Japan) and colleagues of a thermodynamically stable icosahedral phase, Al₆₅Cu₂₀Fe₁₅. Shechtman's quasicrystals were metastable and could only be made by rapid cooling. Chilled slowly, they formed ordinary periodic crystals. Tsai's quasicrystals, and other stable quasicrystals discovered soon thereafter, could be grown by conventional methods into large and nearly perfect grains.

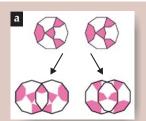


Figure 2. A new order. (a) In a variation of Penrose tiling, neighboring decagonal

tiles are allowed to overlap in one of two ways. Maximization of the tiling density then yields a perfect quasiperiodic tiling. (b) Superimposed on a scanning electron microscope image of an ${\rm Al}_{72}{\rm Ni}_{20}{\rm Co}_8$ quasicrystal, the tiling maps to the underlying atomic lattice. Atoms appear as white circles. (Adapted from ref. 5.)

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The ensuing high-resolution diffraction measurements eliminated every competing theory except that of quasiperiodicity. For approximants to masquerade as such perfect quasicrystals, demonstrated Steinhardt, Paul Heiney, and colleagues, each unit cell would have to comprise not thousands but hundreds of thousands of atoms. All but the most strident skeptics conceded quasicrystals' place in the crystallographic lexicon. In 1992 the International Union of Crystallography revised the definition of a crystal to mean "any solid having an essentially discrete diffraction diagram"-which includes quasicrystals.

Legacy

Since the publication of Shechtman's landmark paper, the number of known quasicrystals has grown into the hundreds and includes at least one naturally occurring quasicrystal, Al₆₃Cu₂₄Fe₁₃, recovered from the Koryak region of eastern Russia. (See PHYSICS TODAY, August 2009, page 14.) Although the icosahedral phase remains the only discovered phase that's quasiperiodic

in three dimensions, crystals that are quasiperiodic in two dimensions and periodic in one have been found exhibiting octagonal, decagonal, and dodecagonal symmetries.

Thanks to x-ray diffraction and sophisticated computational analysis strategies, quasicrystal structures can now be determined with a precision rivaling that of conventional crystals. (See Physics Today, March 2007, page 23.) For some quasicrystals, such as the one shown in figure 2, atomic positions can be mapped nearly perfectly to a Penrose tiling.

Quasicrystal alloys display a rare combination of material properties. Though brittle, they are harder than steel—a trait that makes them useful additives in razor blades and precision medical tools. They have low surface friction, which won them brief popularity as nonstick coatings on frying pans. And they are good insulators, which makes them promising as coatings for turbines. Quasiperiodic structures assembled from colloidal and granular building blocks may function as high-symmetry photonic and phononic waveguides.

As Patricia Thiel of Iowa State University puts it, however, the greatest legacy of Shechtman's discovery may be that it "touched off a revolution in how we understand solid matter." Adds Iowa State's Alan Goldman, "It also taught us to keep our eyes open."

Dan Shechtman was born 24 January 1941 in Tel Aviv. After serving in the Israeli army, he enrolled at the Technion, where he received a bachelor's degree in mechanical engineering and master's and doctoral degrees in materials engineering. He did postdoctoral research at Wright–Patterson Air Force Base in Ohio before joining the faculty at the Technion, where he remains today. He is also a professor at Iowa State and a senior scientist at the US Department of Energy's Ames Laboratory.

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References

- 1. D. Shechtman et al., *Phys. Rev. Lett.* **53**, 1951 (1984).
- 2. A. L. Mackay, Physica A 114, 609 (1982).
- 3. A. L. Mackay, Sov. Phys. Crystallogr. 26, 517 (1981).
- 4. D. Levine, P. J. Steinhardt, *Phys. Rev. Lett.* **53**, 2477 (1984).
- 5. P. J. Steinhardt et al., Nature 396, 55 (1998).

"Faked states" mimic quantum entanglement

Bell's inequalities are the quintessential test of the quantum nature of a system. But experiments show that the test can be fooled—if one ignores the fine print.

lbert Einstein, Boris Podolsky, and Nathan Rosen argued in 1935 that quantum mechanics is not a complete theory, because a measurement on one system can influence the wavefunction of another in a way that's incompatible with the light-speed limit on information propagation.1 If that "spooky action at a distance" is to be avoided, there must be more to the reality of each system than its wavefunction describes. Quantum mechanics might be supplemented, for example, by a theory of hidden variables, so that the outcome of each measurement depends only on the local degrees of freedom.

Nearly 30 years later, John Bell showed that the issue is not merely philosophical: An experiment can be devised to distinguish quantum mechanics from any local hidden-variable theory.² (See the article by David Mermin in PHYSICS TODAY, April 1985, page 38.) Two widely separated measurements whose correlations violate a form of Bell's inequality cannot be explained without invoking quantum mechanics—or another theory

just as spooky. Bell experiments are usually formulated in terms of photons' polarizations or atoms' spins, but Bell's theorem itself doesn't specify what is being measured or how; only the correlations matter.

However, Bell tests are subject to several conditions, or loopholes. For example, to close the locality loophole, the experiment must be set up so that no light-speed propagation of information can influence the outcome. And to close the detection loophole, the measurements must be efficient enough to rule out the possibility that the observed events violate the Bell inequality but the entire ensemble does not. Bell tests in the lab give results consistent with quantum mechanics,3 but no test has yet closed all the loopholes simultaneously. These days, the tests' main practical use is not to erase doubts about the validity of quantum mechanics but as "entanglement witnesses" to verify the quantum nature of specific light

Now, Vadim Makarov (Norwegian University of Science and Technology in Trondheim), Christian Kurtsiefer (National University of Singapore), and their colleagues at both institutions have shown that they can violate Bell's inequalities in a system that manifestly lacks entanglement, if they ignore one loophole or another.4 They use what they call faked states: classical pulses of light designed to trick the detectors into behaving as if they're detecting single photons. The researchers point out that it's unlikely that we're all victims of a conspiracy to make it look like we're observing quantum entanglement when we're not, but that a loophole-free Bell test is still a desirable goal. And the same groups have done related work on a system in which deliberate deception is a serious issue: hacking the quantum key distribution of quantum cryptography systems.

Fooling photodiodes

The Bell test setup that the researchers endeavored to fool uses polarization-entangled pairs of photons. The two photons are sent in opposite directions through optical fibers to the receivers Alice and Bob, each of whom performs a polarization measurement in one of