

**Figure 3. X-ray diffraction patterns** capture the structural changes as the molten alloy (top) cools to solidify first into the icosahedral phase (middle) and then to the C14 Laves phase (bottom). The peaks occur at the predicted locations and are plotted as a function of the momentum transfer  $q = 4\pi \sin\theta/\lambda$ , where  $\theta$  is the scattering angle and  $\lambda$  is the x-ray wavelength. (Adapted from ref. 2.)

at Argonne National Laboratory in Illinois. At the APS, Doug Robinson and Alan Goldman helped Kelton and his team to position the electrostatic levitation chamber in one of the synchrotron's beam lines.

A so-called third-generation synchrotron source, APS produces x rays of high brightness and high energy. Both qualities were invaluable for Kelton's experiment: The brightness made it possible to collect data with high signal-to-noise on the few-second timescale of the solidification, while the energies (125 keV,  $\lambda$  = 0.99 Å) made it possible to do a transmission experiment rather than a more difficult reflection experiment.

Figure 3 shows three representative diffraction patterns taken at different stages after the laser had melted the drop. The peaks appeared in the right places for both the solid icosahedral and C14 Laves phases. Frank was vindicated.

## **Nucleation theory**

Figure 3 captures snapshots of the two solid phases, but Kelton and his colleagues could also obtain diffraction patterns at various points along the cooling curve. That's especially interesting for comparing experiment with theories of how crystals form.

Diffraction patterns depend on experimental setup. To compare experiment with theory, one calculates structure factors S(q), where q is the momentum transfer. Constructing S(q) from data involves modeling various aspects of the experiment, such as the transmission of the levitation chamber's bervllium windows. Constructing S(q)from theory involves choosing an interatomic potential then doing either a large-scale computer simulation or an approximate theoretical analysis.

In the early 1980s, before the discovery of quasicrystals, Frank's ideas about local icosahedral ordering were applied to the formation of metallic glasses. Harvard University's David Nelson and his graduate student Subir Sachdev calculated temperature-dependent structure factors for glass-forming liquids. 4 At large values of q, which probe short-range order, their S(q) exhibits a pair of peaks and a shoulder that grows as the temperature drops. Kelton found the same features and the same temperature dependence in the S(q) he derived from his data.

The existence of icosahedral order in the solidifying liquid has implications for classical nucleation theory. In that picture, nucleation starts, or fails to start, in small volumes. When the volume occupied by the nucleating phase exceeds the so-called critical volume, fluctuations favor the formation of the new phase.

From his data, Kelton derived both the size of the icosahedral clusters in the liquid and the critical volume. Both turned out to be a few nanometers across. The similarity of the two scales suggests that a liquid metal isn't a structural blank slate. Structural correlations in the liquid could affect crystallization.

The small scale of the critical volume reveals a limitation of classical theory. When the crystallizing action takes place on the scale of a few tens of atoms, it's unlikely that a clear-cut, classical interface is appropriate. The challenge is to make nucleation theory more atomistic.

# Other levitations, other systems

That a single system, Ti-Zr-Ni, was observed to form a quasicrystalline phase and then a crystalline phase was the key to proving Frank's hypothesis. But the 50-year-old theory had received impressive support from similar work done by other groups.

The first to study the structure of levitated drops were Dirk Holland-Moritz of the German Aerospace Research Establishment (DLR) in Cologne and his collaborators. The DLR team used electromagnetic levitation, which exploits an EM field to provide both levitation, through Lenz's law, and heating, through surface eddy currents.

Ten years ago, the DLR team showed that systems that have a high degree of icosahedral order in the solid phase can be undercooled further than systems that lack or have less icosahedral order.<sup>5</sup>

And last year, the DLR team and their collaborators from two French institutions—Paris-Sud University and the Center for Nuclear Studies in Grenoble—demonstrated for four elemental metals and three alloys that the further a liquid undercools, the greater its icosahedral order.<sup>6</sup>

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#### References

- D. Turnbull, R. E. Cech, J. Appl. Phys. 21, 804 (1950).
- F. C. Frank, Proc. R. Soc. London, Ser. A 215, 43 (1952).
- K. F. Kelton et al., Phys. Rev. Lett. 90, 195504 (2003).
- S. Sachdev, D. R. Nelson, Phys. Rev. Lett. 53, 1947 (1984).
- D. Holland-Moritz, D. M. Herlach, K. Urban, Phys. Rev. Lett. 71, 1196 (1993).
- T. Schenk et al., Phys. Rev. Lett. 89, 075507 (2002).

# Stretchable Conductors Help Clear the Path to Skinlike Large-Area Devices

"Sensitive skin" is the delicate name for a visionary technology: thin flexible large-area sensor arrays. With sensitive skin, one could endow robots with the information-gathering

tools they need to work in unstructured environments; one could clothe heart patients with shirts that monitor arrhythmia; one could equip food handlers with gloves that detect

Conducting stripes of gold foil can be stretched significantly when they're stuck to a rubbery substrate.



**Figure 1. Stéphanie Lacour** demonstrates the flexibility of the stretchable conductor she developed with Princeton University's Sigurd Wagner, Zhenyu Huang, and Zhigang Suo. (Courtesy of Lacour.)

spoiled meat. The applications of sensitive skin are many, varied, and—unfortunately—out of reach.

The applications remain visions, but not because scientists and engineers can't make suitable sensors or flexible substrates on which to put them. Stretchable fabrics and materials have been around for years. And sensors, like the sequins on an ice skater's costume, can be made small enough that they're unaffected when substrate bends. twists, or stretches.

But sequins, unlike the sensors on sensitive skin, don't need conducting interconnects to function. Pulling on a glove, for example, involves deforming the material by 10% or more, but metal wires and thin films rupture at strains of a few percent. Conducting polymers, such as poly-

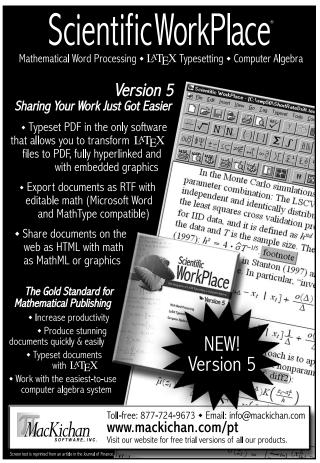
acetylene, can't do the job because they don't conduct electricity well enough.

Now, a team of four engineers from Princeton University has found a way to deposit stretchable interconnects on a flexible substrate. Shown in figure 1, the metal films developed by Sigurd Wagner, his postdoc Stéphanie Périchon Lacour, and their colleagues Zhigang Suo and Zhenyu Huang, continue to conduct even when subjected to tensile strains of 40%.

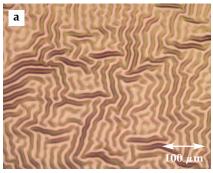
# **Necking**

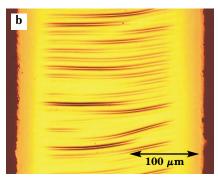
To appreciate why it's so difficult to make flexible metal interconnects, consider what happens when tensile stress is applied to a metal wire. Unlike a rubber band, which responds to stress by stretching evenly, a metal wire develops a local deformation—a neck—that bears almost all the stress. As the stress increases, the neck thins, lengthens by a factor of two or more, then breaks when the strain of the whole wire reaches a few percent. Thin metal films rupture in the same way.

When Wagner began his quest for stretchable interconnects three years ago, his main working idea was to add slack. He tried various schemes, including stripes that zigzag over the









**Figure 2. Gold deposited on silicone** develops a wavy, wrinkled pattern because the silicone has a greater coefficient of thermal expansion than does gold. **(a)** On large areas, the wrinkles run in all directions. **(b)** But in stripes, the wrinkles line up perpendicular to the direction of the stripe. (Adapted from ref. 1.)

substrate rather than run straight. They didn't work, but in the course of his investigations, he noticed that gold, when deposited in a thin layer on silicone rubber, develops a surface pattern like the ridges and fissures of a human brain.

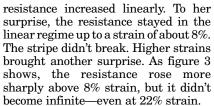
Puzzled by the patterns, Wagner consulted his collaborator Suo, who pointed to a 1998 paper by Harvard University's Ned Bowden and others.2 Bowden, who's now at the University of Iowa, had discovered that gold forms similar patterns on an elastomeric silicone called polydimethylsiloxane (PDMS). To make the patterns. Bowden heated the PDMS surface before and during the deposition process. When it cools, the PDMS, thanks to its larger coefficient of thermal expansion, compresses the gold layer, causing both the substrate and the layer to wrinkle together. Here, Wagner realized, was a simple method for adding slack—in the form of built-in compressive strain—to a thin metal layer.

The project to exploit the wrinkling took off when Lacour joined Wagner's lab in 2001. She found she could modify the gold layer's waviness by depositing the gold in thin stripes through a mask. Obligingly, as figure 2 shows, the wrinkles line up across the stripe—just the arrangement for acting as a source of built-in compressive strain along the length of the stripe.

To investigate the stripes' performance, Lacour made samples like the one shown in figure 1. The samples consisted of roughly 1-mm-thick strips of PDMS topped with gold stripes 100 nm thick and  $250 \,\mu\text{m}$  wide. A 5-nm underlayer of chromium helped the gold stick to the PDMS. Her experimental setup consists of a homemade microtensile tester for stretching the samples, meters for measuring resist-

ance and elongation, and a video camera attached to a microscope for observing the samples.

According calculations Suo and his postdoc Huang, the gold stripes should have a built-in compressive strain of about 0.4%. Lacour, therefore. expected to see the breaking strain increase by percentage points to about 1.5%.Asshe ratcheted up the strain, the stripe's



The video showed what was happening. As the strain increased from zero, small cracks opened along the edges of the stripe. The cracks steadily widened and lengthened, causing the linear rise in resistance. At around 16% strain, the cracks extended all the way across the stripe, but the resistance, though high, remained finite. Lacour and Wagner don't know why the severed stripe conducts, but they suspect the smallscale roughness of the PDMS surface might play a role. Some of the gold, along with chromium from the adhesive underlayer, could remain in troughs on the surface and provide electrical connection across the gap.

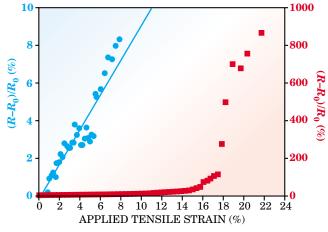
Why doesn't the stripe break at the predicted strain of 1.5%? Suo says that the flexible substrate suppresses necking. A neck, he points out, needs free space to form and lengthen. If the film is stuck to the substrate, that room for expansion is off limits.

To function as a sensitive skin component, an interconnect has to repeatedly endure strains of 10% or more. With that goal in mind, Lacour, assisted by graduate student Joyelle Jones and undergraduate Catriona Chambers, performed two additional experiments, which they reported at the Materials Research Society's spring meeting in San Francisco.

In the first experiment, they stretched samples up to 12 times between zero and 10% strain. The resistance behaved the same way, regardless of the cycle. In the second experiment, Lacour, Jones, and Chambers aimed to boost the stripe's built-in compressive stress by depositing gold on strained PDMS. The trick worked. Prestraining the substrate by 10–15% raised the stripe's breaking strain from 16% to 40%.

Despite these successes, much remains to be done, including figuring out how to make interconnects that cross each other. Still, Wagner hopes one day to realize one of his visions: to make a circuit that he can fold up and put in his pocket like a handkerchief.

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**Figure 3. Resistance increases with applied strain** in two regimes. Below a strain of about 8%, the increase is linear (blue points and left-hand scale). Above 8%, the increase accelerates (red points and right-hand scale), but even at a strain of 22%, the resistance remains finite. (Adapted from ref. 1.)

### References

- S. P. Lacour, S. Wagner, Z. H. Huang, Z. Suo, Appl. Phys. Lett. 82, 2404 (2003).
- N. Bowden et al., Nature 393, 146 (1998).